

A scenic view of San Francisco, California. In the foreground, a large, ornate clock tower with a green roof and white stone facade stands prominently. The tower has two clock faces visible. Behind the tower, the city of San Francisco is visible, including the Golden Gate Bridge, the San Francisco Bay, and the city skyline with various skyscrapers. The sky is blue with some clouds.

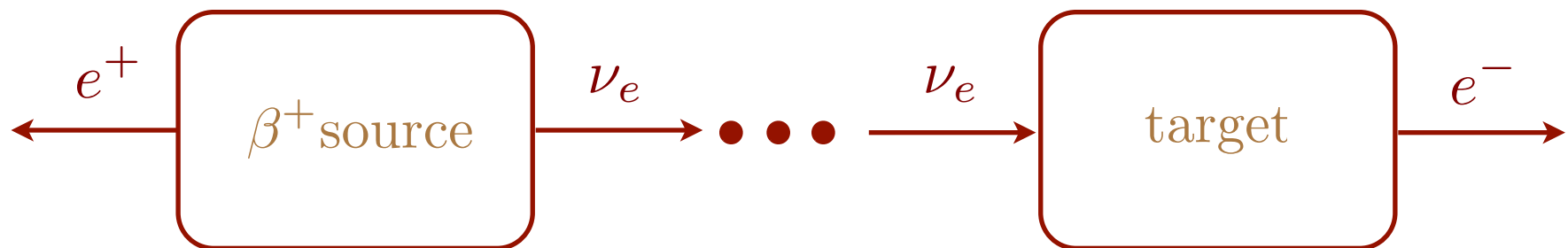
Neutrino Physics and Astrophysics: Aspirations for the Next Decade

- *Neutrino and other masses*
- *The inner space/outer space connections*
- *Getting on with it...*

I. Neutrino mass: introduction

- the ν mass story differs from that of other standard model fermions because
 - the scale is anomalous, an eV or lower
 - the ν has no charge or other distinguishing additive quantum number: thus are the degenerate ν and $\bar{\nu}$ coincident, orthogonal, or some admixture of these limits?

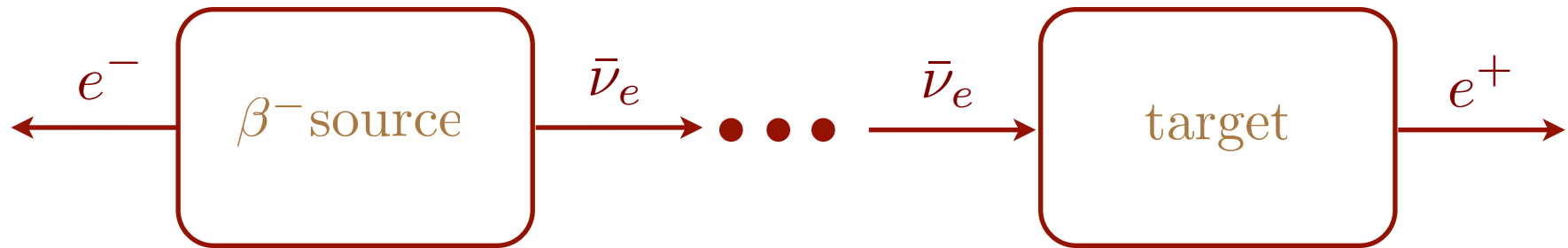
so we do an experiment:



this defines the ν_e

which is then found to produce: e^-

and a second one:



this defines the $\bar{\nu}_e$

which is then found to produce: e^+

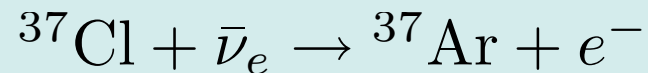
- with these definitions of the ν_e and $\bar{\nu}_e$, they appear operationally distinct, producing different final states
- introduce a “charge” to distinguish the neutrino states and to define the allowed reactions, l_e , which we require to be additively conserved

$$\sum_{in} l_e = \sum_{out} l_e$$

<i>lepton</i>	l_e
e^-	+1
e^+	-1
ν_e	+1
$\bar{\nu}_e$	-1

Historical footnote:

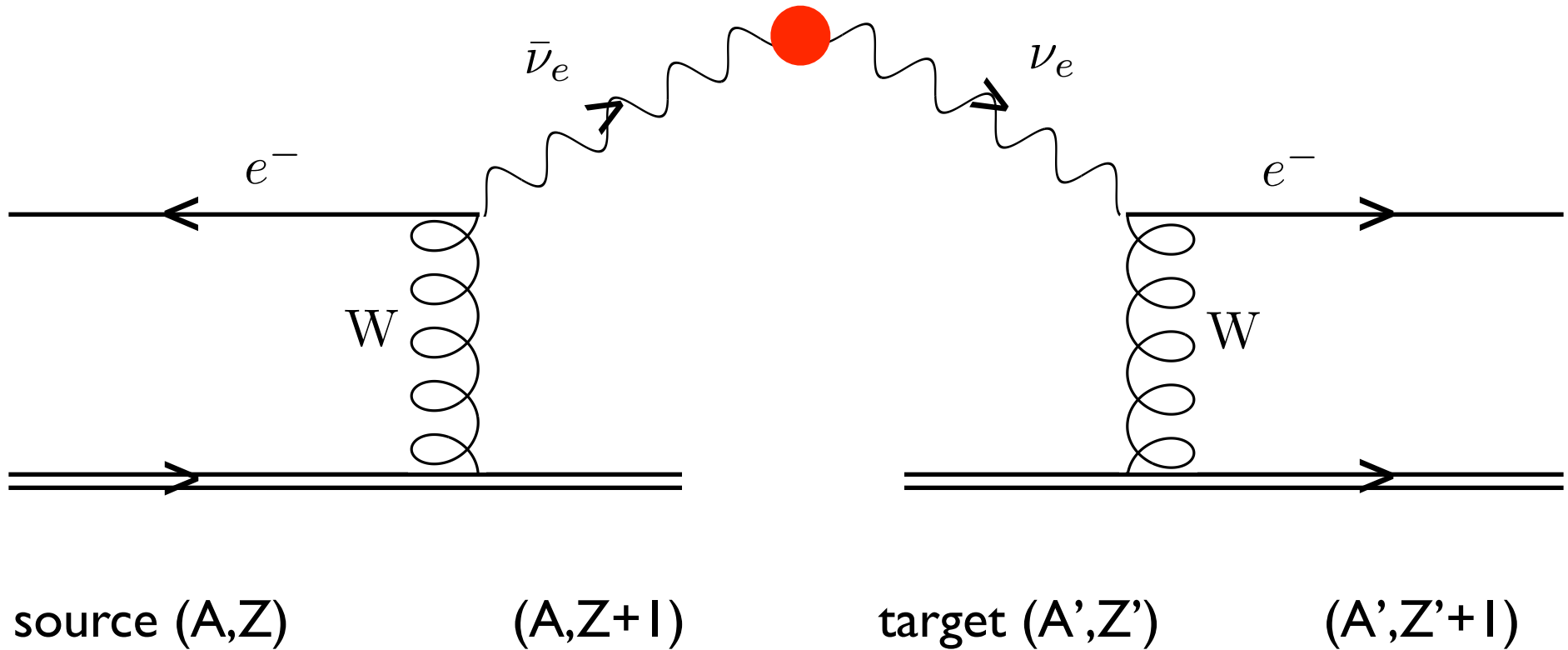
- connected with the Cl solar neutrino detector: after Pontecorvo's suggestion, Alvarez did a detailed background study for this detector for a potential reactor experiment, but did not pursue a measurement
- Davis's BNL program included a Savannah River experiment in which reactor anti-neutrinos



failed to produce Ar, indicating that the ν_e and $\bar{\nu}_e$ are distinct at $\sim 5\%$, a prejudice embedded in the standard model

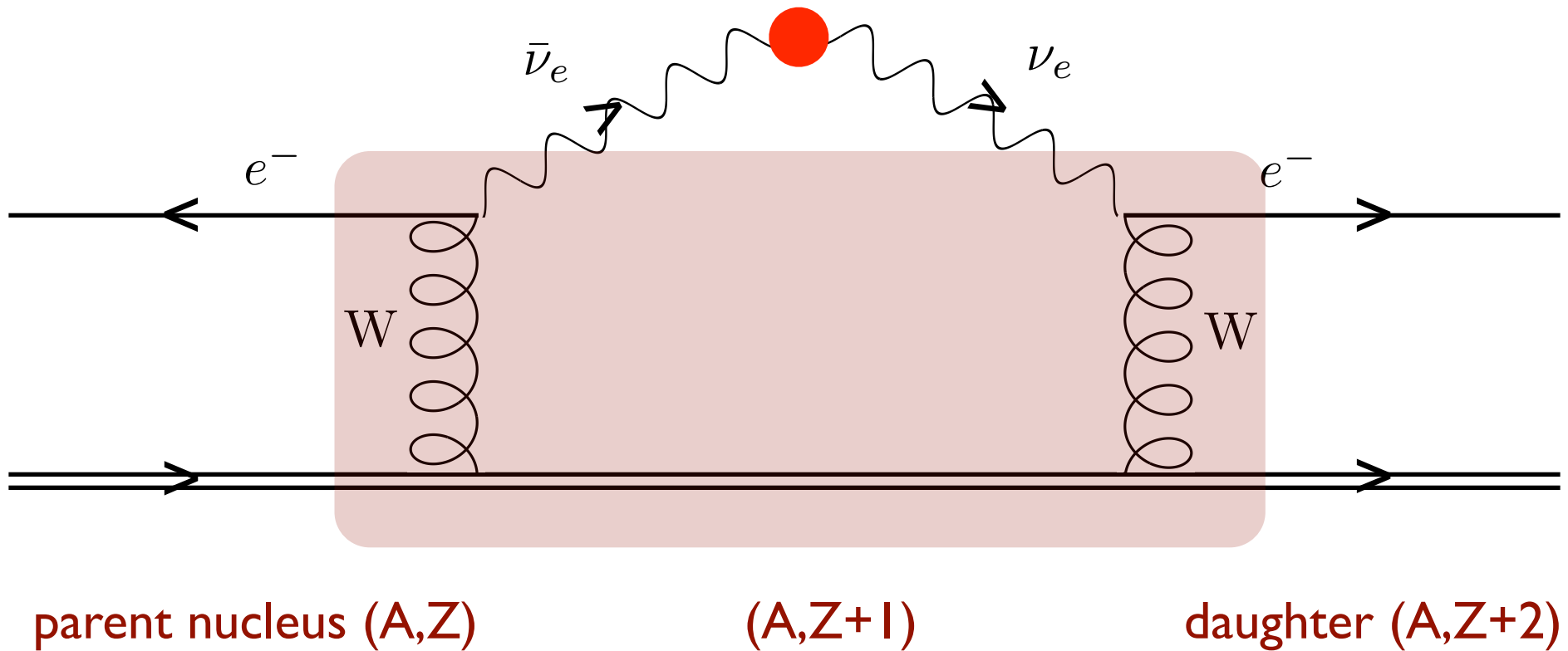
forbidden by lepton number
conservation, as apparently
acquired
by experiment

The described experiment



can be done virtually in the process of $\beta\beta$ decay

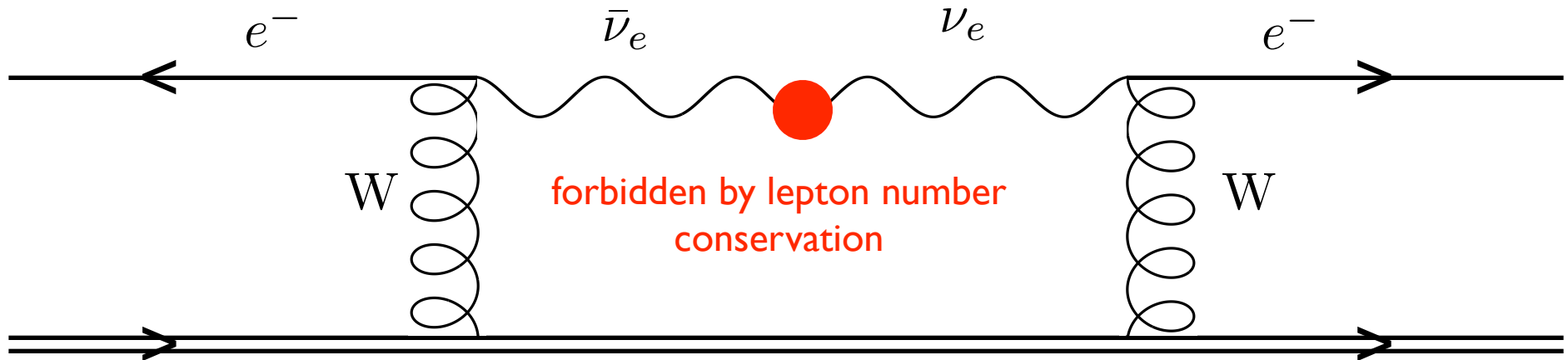
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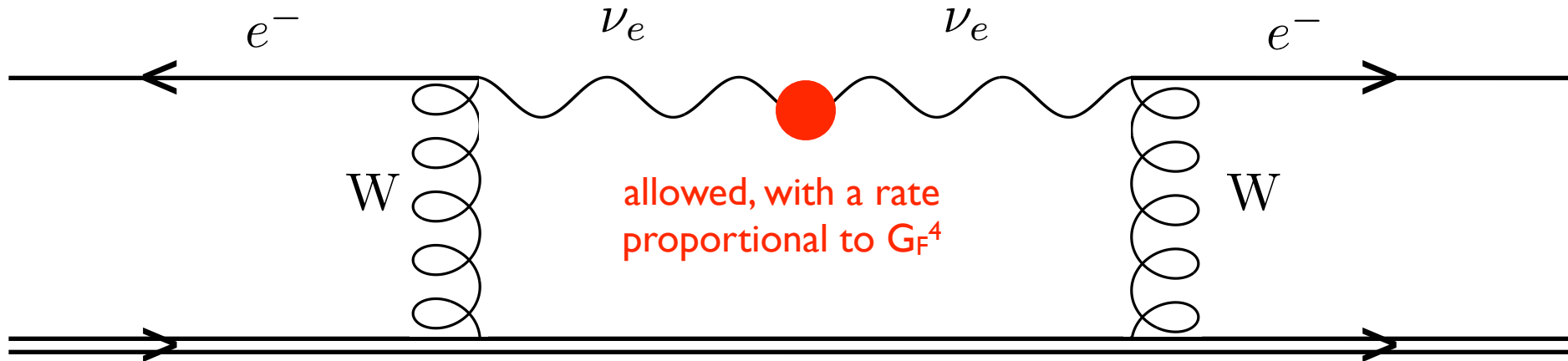
The nucleon pairing interaction gives us ~ 50 nuclear “laboratories” in which to probe symmetry-violating 2nd-order weak interactions

The connection between non-observation of $0\nu\beta\beta \Leftrightarrow$ conserved ν (lepton) charge is altered by ν helicity and consequently by ν mass

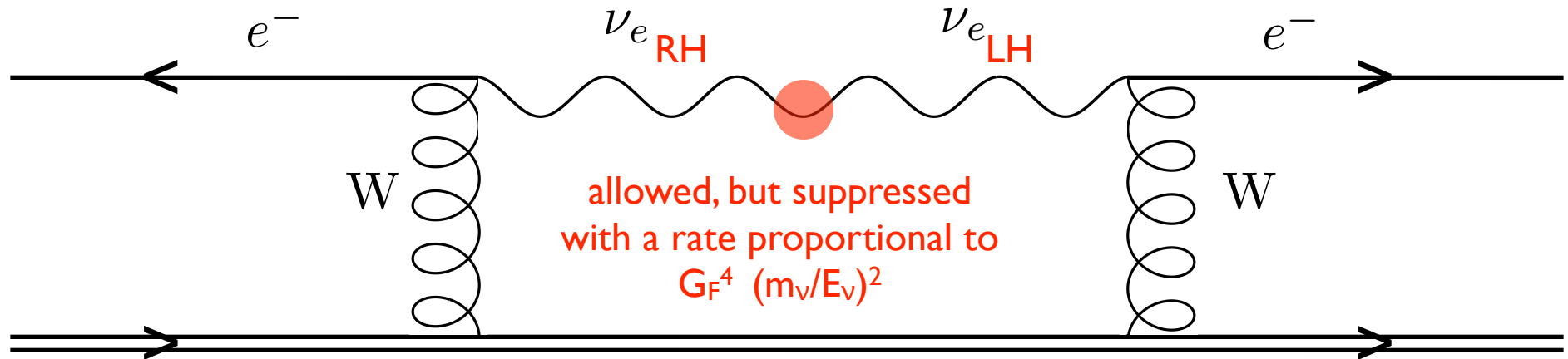
The discovery of apparently maximal PNC in '57 alters the argument:
LHed particles, RHed antiparticles



Remove the restriction of an additively conserved lepton number



and account for suppressed rates by the nearly exact handedness

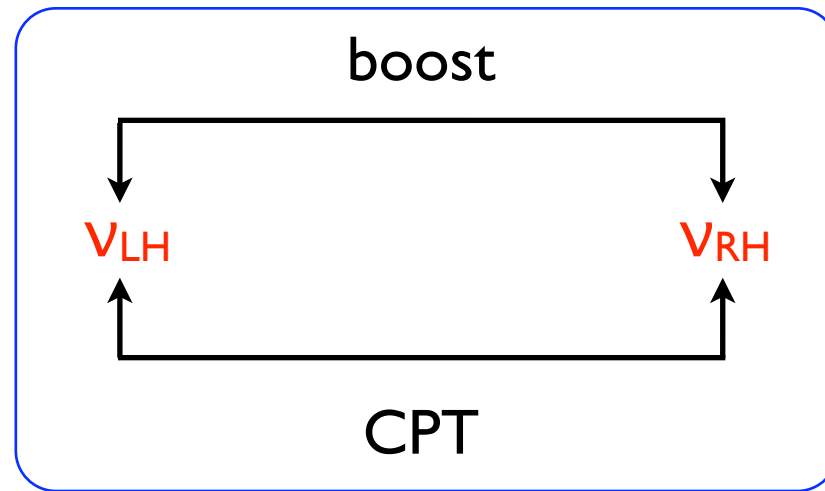


So a Majorana ν , in a theory with exact V-A, is allowed provided the ν mass is sufficiently small that the ν 's wrong-helicity component, proportional to m_ν/E_ν , suppresses the $\beta\beta$ rate below experimental bounds

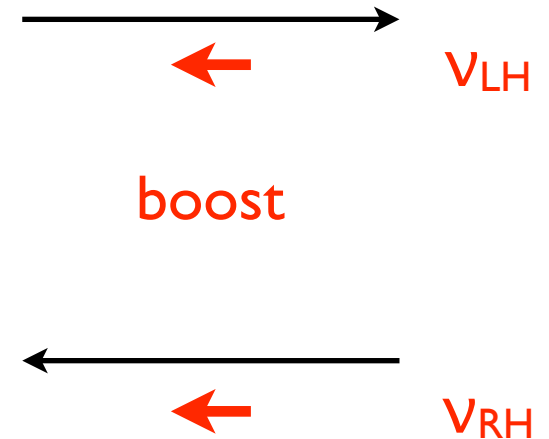
Majorana terms thus perfectly fine. Under the theory that what is not expressly forbidden is then required, ν s then allow us to probe a novel mass mechanism that cannot operate for charged SM fermions

Two limiting massive V descriptions

Majorana:

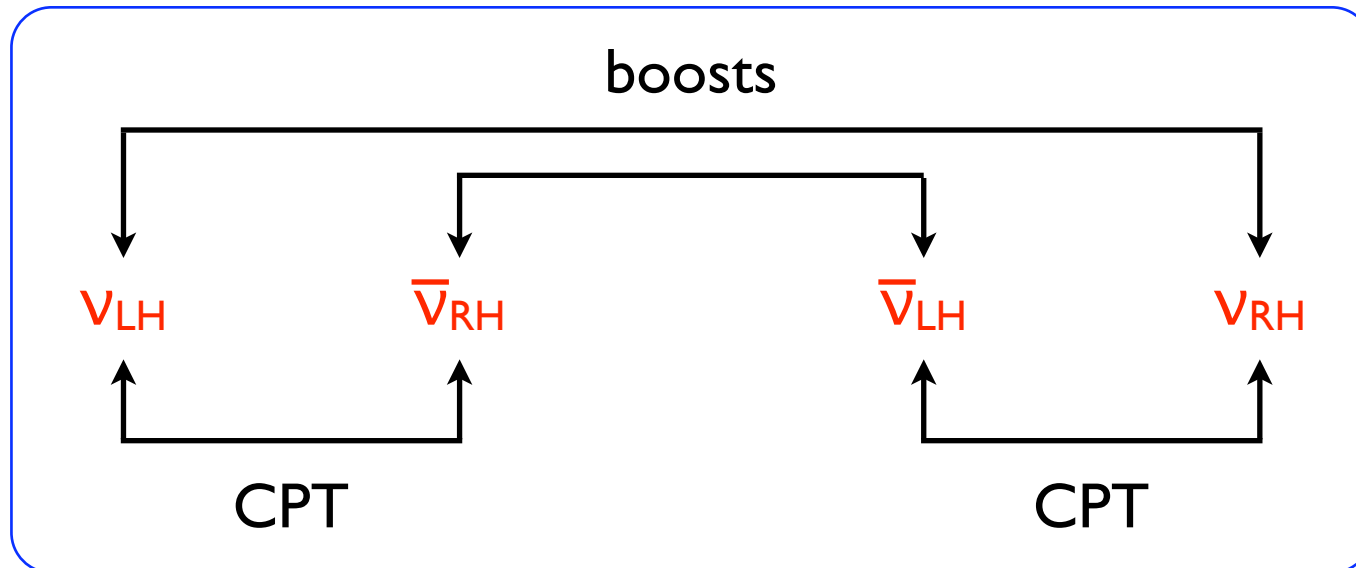


Lorentz invariance



in general, linear combinations of the two

Dirac:



Let's see the mass consequences: start with the Dirac eq., project out

$$\psi_{R/L} = \frac{1}{2}(1 \pm \gamma_5)\psi] \quad C \psi_{R/L} C^{-1} = \psi_{R/L}^c$$

Allow for **flavor mixing**

$$L_m(x) \sim m_D \bar{\psi}(x) \psi(x) \Rightarrow M_D \bar{\Psi}(x) \Psi(x) \quad \Psi_L \equiv \begin{pmatrix} \Psi_L^e \\ \Psi_L^\mu \\ \Psi_L^\tau \end{pmatrix}$$

To give the mass 4n by 4n matrix

$$(\bar{\Psi}_L^c, \bar{\Psi}_R, \bar{\Psi}_L, \bar{\Psi}_R^c) \begin{pmatrix} 0 & 0 & M_D^T & 0 \\ 0 & 0 & 0 & 0 \\ M_D & M_D^\dagger & 0 & 0 \\ M_D^* & 0 & 0 & 0 \end{pmatrix} \begin{pmatrix} \Psi_L^c \\ \Psi_R \\ \Psi_L \\ \Psi_R^c \end{pmatrix}$$

Observe that the handedness allows an additional generalization

$$L_m(x) \Rightarrow M_D \bar{\Psi}(x) \Psi(x) + (\bar{\Psi}_L^c(x) M_L \Psi_L(x) + \bar{\Psi}_R^c(x) M_R \Psi_R(x) + h.c.)$$

to give the more general matrix

$$(\bar{\Psi}_L^c, \bar{\Psi}_R, \bar{\Psi}_L, \bar{\Psi}_R^c) \begin{pmatrix} 0 & 0 & M_L & M_D^T \\ 0 & 0 & M_D & M_R^\dagger \\ M_L^\dagger & M_D^\dagger & 0 & 0 \\ M_D^* & M_R & 0 & 0 \end{pmatrix} \begin{pmatrix} \Psi_L^c \\ \Psi_R \\ \Psi_L \\ \Psi_R^c \end{pmatrix}$$

which has a number of interesting properties

- the eigenvectors are two-component Majorana spinors: $2n$ of these
- the introduction of M_L, M_R breaks the global invariance $\Psi \rightarrow e^{i\alpha} \Psi$ associated with a conserved lepton number

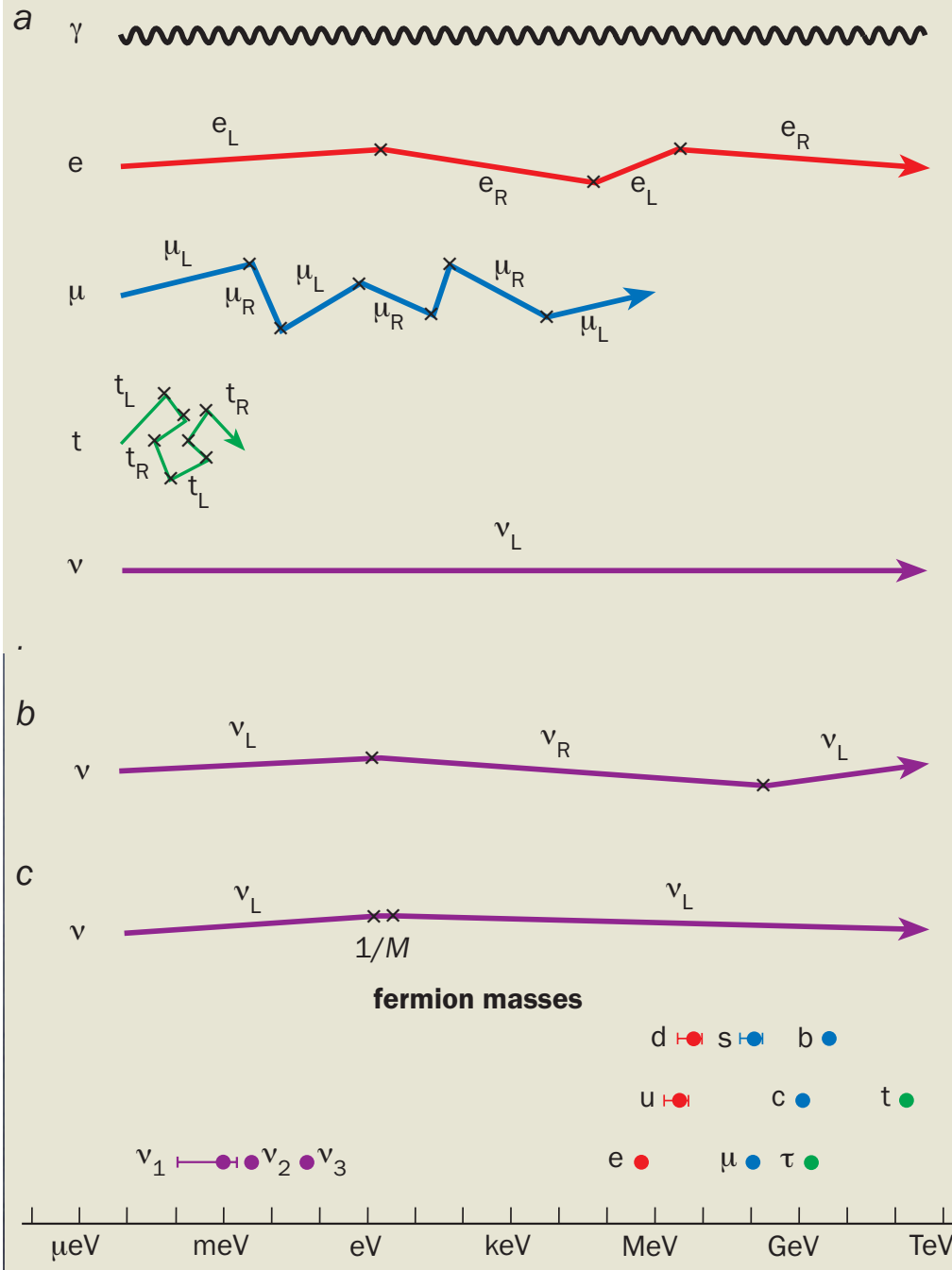
- the removal of M_L, M_R makes the eigenvalues pairwise degenerate: two two-component spinors of opposite CP can be patched together to form one four-component Dirac spinor -- so one gets n of these
- the mass that appears in double beta decay is $\sum_{i=1}^{2n} U_{ei}^2 \lambda_i m_i$, where λ_i is the i th's neutrino CP eigenvalue and U_{ei}^2 the coupling probability to the electron: this vanishes when $M_L, M_R \rightarrow 0$
- the MSM has no RHed neutrino field; M_L can be constructed, but does not appear in the MSM because it is not renormalizable

$$M_L \sim \frac{\langle \phi \rangle^2}{M_{new}}$$

it is the only such dimension-five operator in the SM, and thus a likely source of the new physics that would show the MSM is breaking down

- $\beta\beta$ decay constrains the LHed Majorana mass to be below about an eV

2 Neutrinos meet the Higgs boson



Hitoshi Muryama's ν mass cartoon

standard model masses

light Dirac neutrino

LHed Majorana neutrino

← the anomalous ν mass scale

The ν 's more general mass \Rightarrow explanation ν mass scale

- give the ν an M_D typical of other SM fermions
- take $M_L \sim 0$, in accord with $\beta\beta$ decay
- assume $M_R \gg M_D$ as we have not found new RHed physics at low E

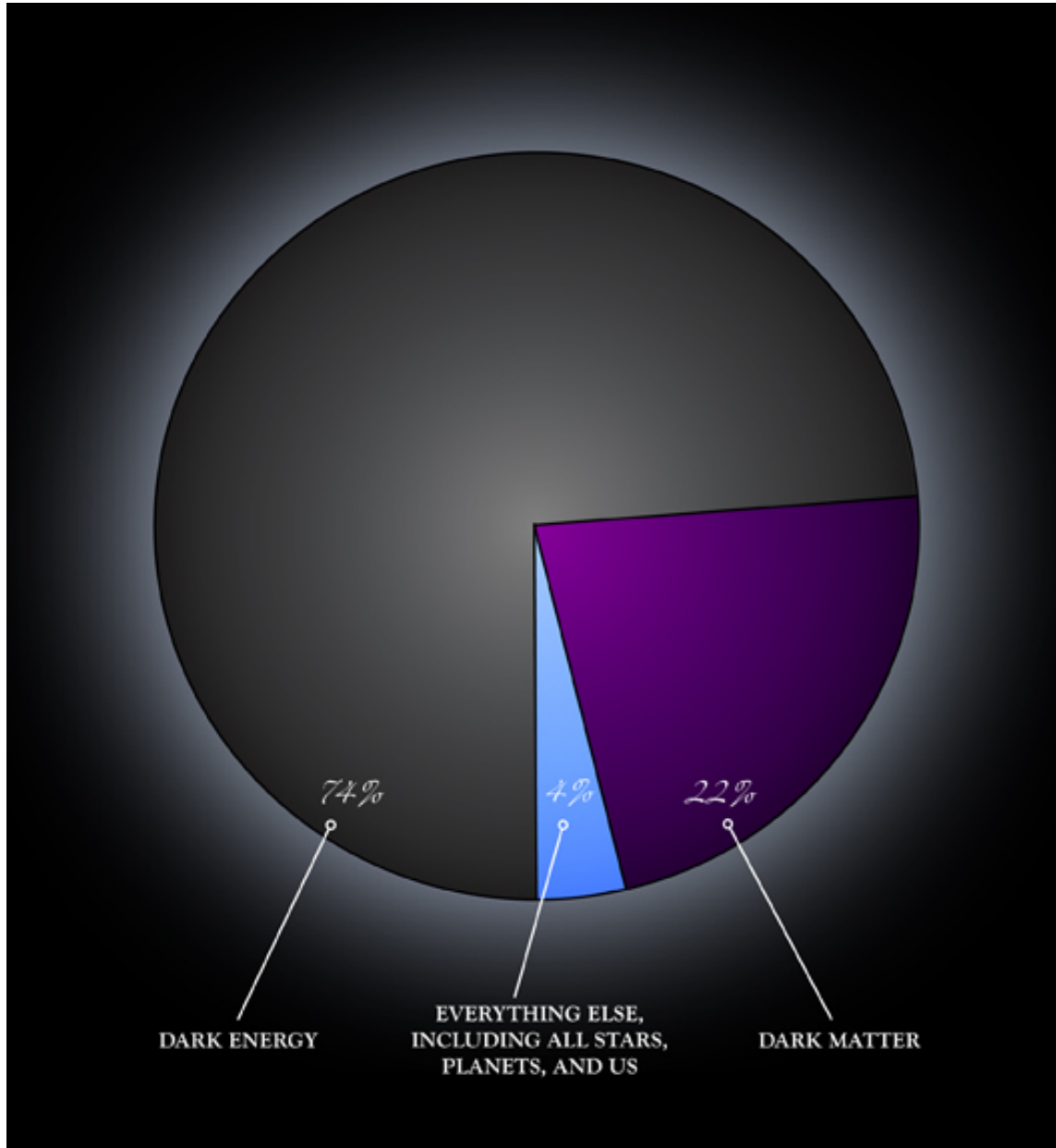
$$\begin{pmatrix} 0 & m_D \\ m_D & m_R \end{pmatrix} \Rightarrow m_\nu^{\text{light}} \sim m_D \left(\frac{m_D}{m_R} \right)$$

- take $m_\nu \sim \sqrt{m_{23}^2} \sim 0.05$ eV and $m_D \sim m_{\text{top}} \sim 180$ GeV

$$\Rightarrow m_R \sim 0.3 \times 10^{15} \text{ GeV}$$

So this was the source of the excitement with the SK and SNO discoveries of 1998-2002: *the deduced ν mass differences are consistent with a novel mass generation mechanism, not shared by other SM fermions, that the data suggest might be characteristic of the GUT scale*

II. The inner space \Leftrightarrow outer space connection: exotic astro environments testing ν s \Rightarrow lab

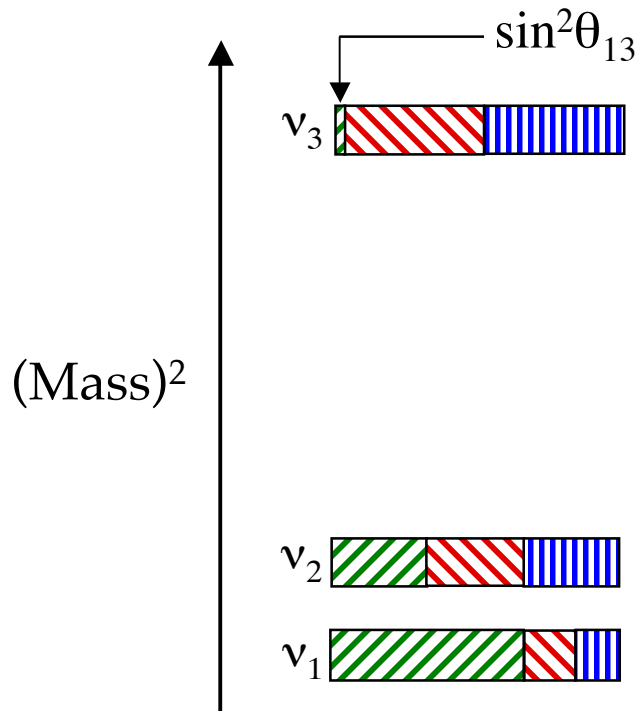


Deep issues regarding mass seem connected to the large-scale properties of our universe: ν s involved

- baryon asymmetry
- net mass in SM particles
 - from BBN directly
 - from baryon-DM interactions @ 400K y
- DM density
- the bounds on the ν contribution to DM
- ν mass differences
- the curious conspiracy of DM and DE that yields $\Omega=1$ and $DM \sim DE$ today

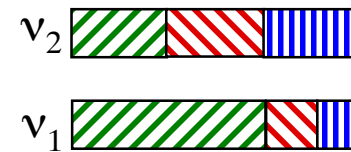
Our initial results on neutrino properties

Hierarchy



Normal

or



Inverted

to within current experimental accuracy, a mixing angle of 45°

hints it may be nonzero

 $\nu_e [|U_{ei}|^2]$

 $\nu_\mu [|U_{\mu i}|^2]$

 $\nu_\tau [|U_{\tau i}|^2]$

(artwork: Boris Kayser)

The mixing

(where we have additional blanks to fill in)

knowns: θ_{12} , θ_{23}

known unknowns: θ_{13} δ , ϕ_1 , ϕ_2

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} c_{12}c_{13} & s_{12}c_{13} & s_{13}e^{-i\delta} \\ -s_{12}c_{23} - c_{12}s_{23}s_{13}e^{i\delta} & c_{12}c_{23} - s_{12}s_{23}s_{13}e^{i\delta} & s_{23}c_{13} \\ s_{12}s_{23} - c_{12}c_{23}s_{13}e^{i\delta} & -c_{12}s_{23} - s_{12}c_{23}s_{13}e^{i\delta} & c_{23}c_{13} \end{pmatrix} \begin{pmatrix} \nu_1 \\ e^{i\phi_1} \nu_2 \\ e^{i\phi_2} \nu_3 \end{pmatrix}$$

$$= \begin{pmatrix} 1 & & \\ & c_{23} & s_{23} \\ & -s_{23} & c_{23} \end{pmatrix} \begin{pmatrix} c_{13} & s_{13}e^{-i\delta} & \\ & 1 & \\ -s_{13}e^{i\delta} & & c_{13} \end{pmatrix} \begin{pmatrix} c_{12} & s_{12} \\ -s_{12} & c_{12} \\ & & 1 \end{pmatrix} \begin{pmatrix} \nu_1 \\ e^{i\phi_1} \nu_2 \\ e^{i\phi_2} \nu_3 \end{pmatrix}$$

atmospheric

ν_e disappearance

solar

results: $\theta_{23} \sim 45^\circ$

$\sin \theta_{13} \leq 0.17$

$\theta_{12} \sim 30^\circ$

Δ_{12}

$|\Delta_{23}|$

$\text{sign}[\Delta_{23}]$

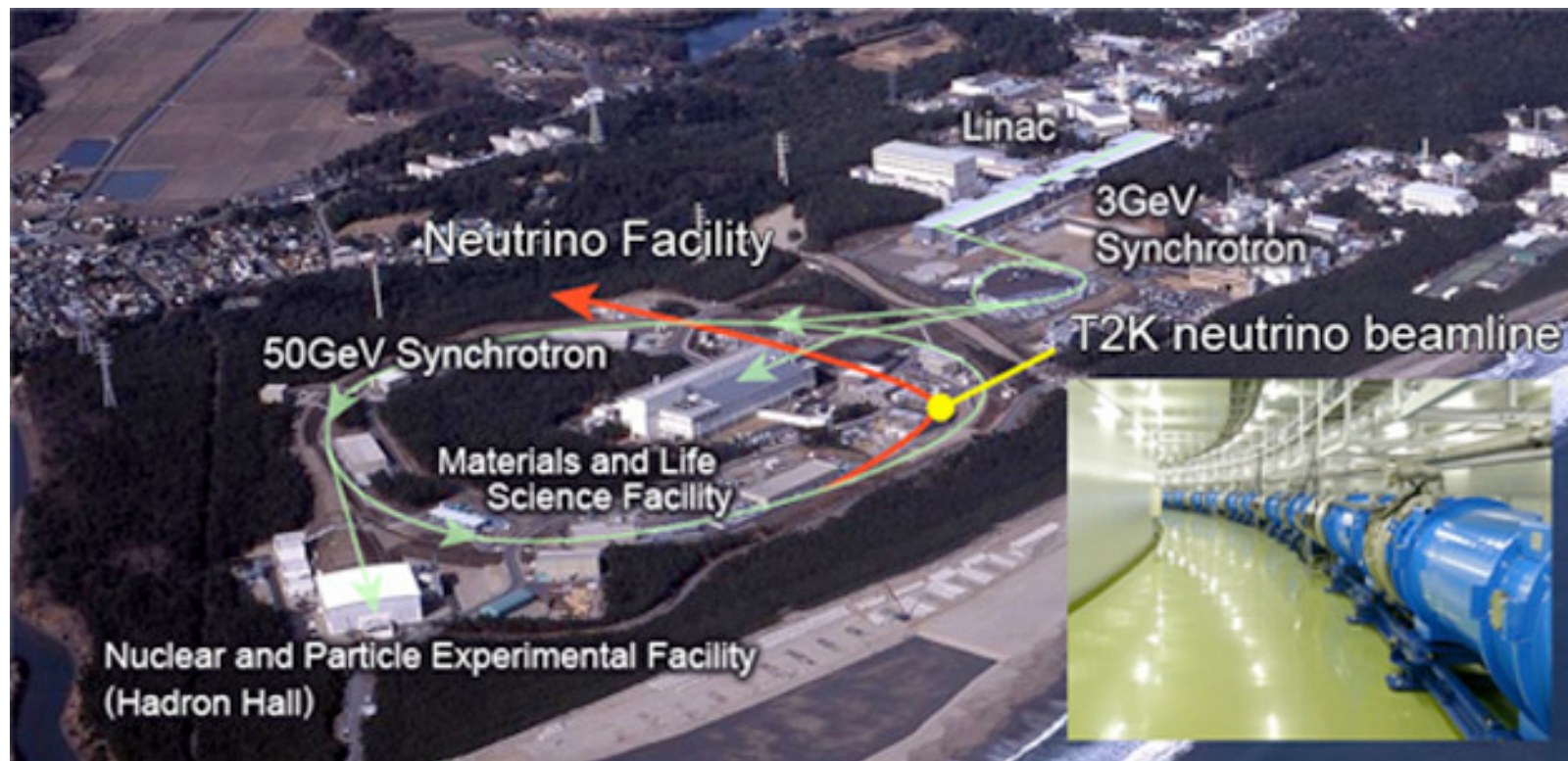
absolute scale

Astrophysics has inventoried SM mass @ 4%: B asymmetry requirements:

- baryon number violation
- out of equilibrium interactions
- C and CP violation: known SM ~~CP~~ sources appear insufficient

but $J_{CP}^\nu = \sin \theta_{12} \sin \theta_{23} \sin \theta_{13} \cos \theta_{12} \cos \theta_{23} \cos \theta_{13}^2 \sin \delta$
 $\sim 0.2 \sin \theta_{13} \sin \delta$

T2K $\nu_\mu \rightarrow \nu_e$ search



Experimental parameters

- 2.5° off-axis relatively narrow ν beam, yielding $E_\nu^{\text{peak}} \sim 0.6 \text{ GeV}$
- the J-PARC : SuperK baseline, which then places the detector at the Δm_{23} first oscillation maximum
- $\nu_\mu \rightarrow \nu_e$ appearance at a baseline much shorter than that optimizing appearance via θ_{12} , so the effects of θ_{13} can be seen

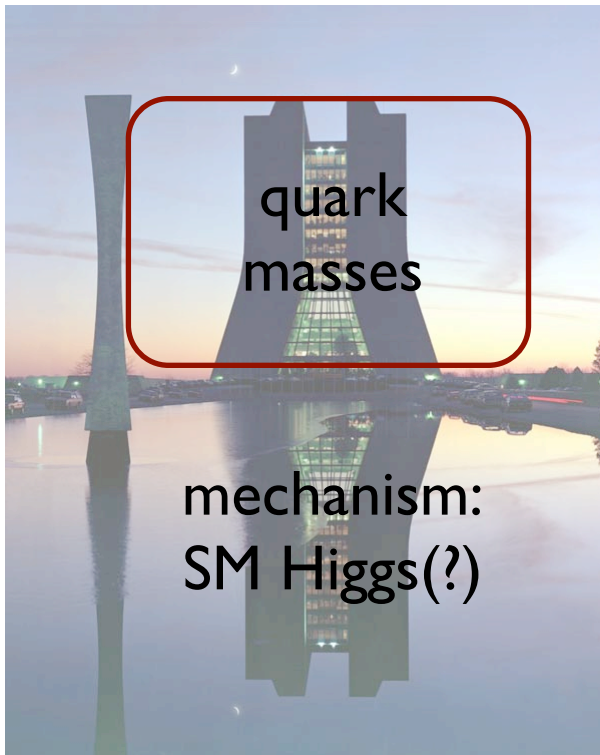
find 6 events when 1.5 ± 0.3 would be expected were $\theta_{12} = 0$ (2.5σ)

deduce $0.03(0.04) \lesssim \sin^2 2\theta_{13} \lesssim 0.28(0.34)$ normal(inverted), $\delta_{\text{CP}} = 0$

compares to CHOOZ, MINOS $\sin^2 2\theta_{13} \lesssim 0.15$ and potentially indicates significant future LBNE sensitivity to $\delta_{\text{CP}} = 0$

So it is quite possible that ν s determined the SM mass inventory
And one hopes low-E $\cancel{\text{CP}}$ parameters \Rightarrow high-T leptogenesis

Baryonic mass at low T: Once $\eta = n_B/n_\gamma$ is set, the evolution to the end state of H and He is both interesting and v driven



nucleon
masses

99% of
baryonic mass
is glue

nuclear
masses

almost none
of the mass in
interaction

this “condensed matter” problem may seem pedestrian, but it actually quite curious

H and He: vs at high early-universe temperatures may determine $\eta = n_B/n_\gamma$. There is a curious mapping of that mass onto our low-T world

quark
masses

mechanism:
SM Higgs

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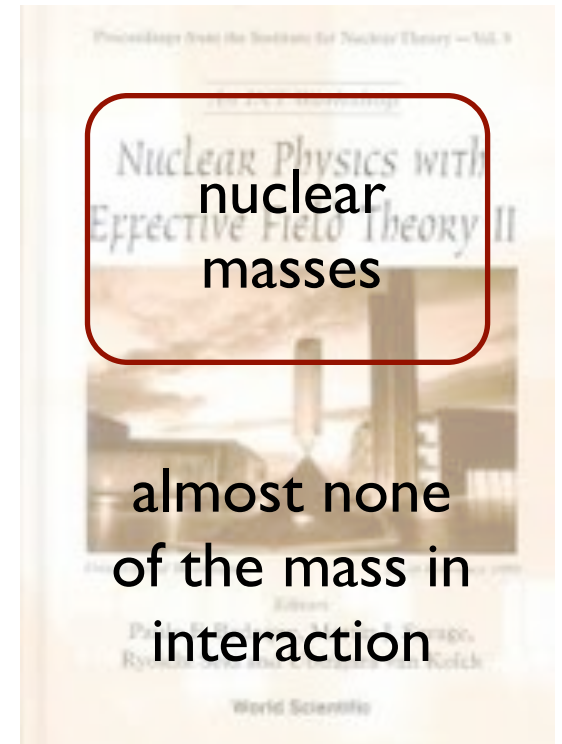
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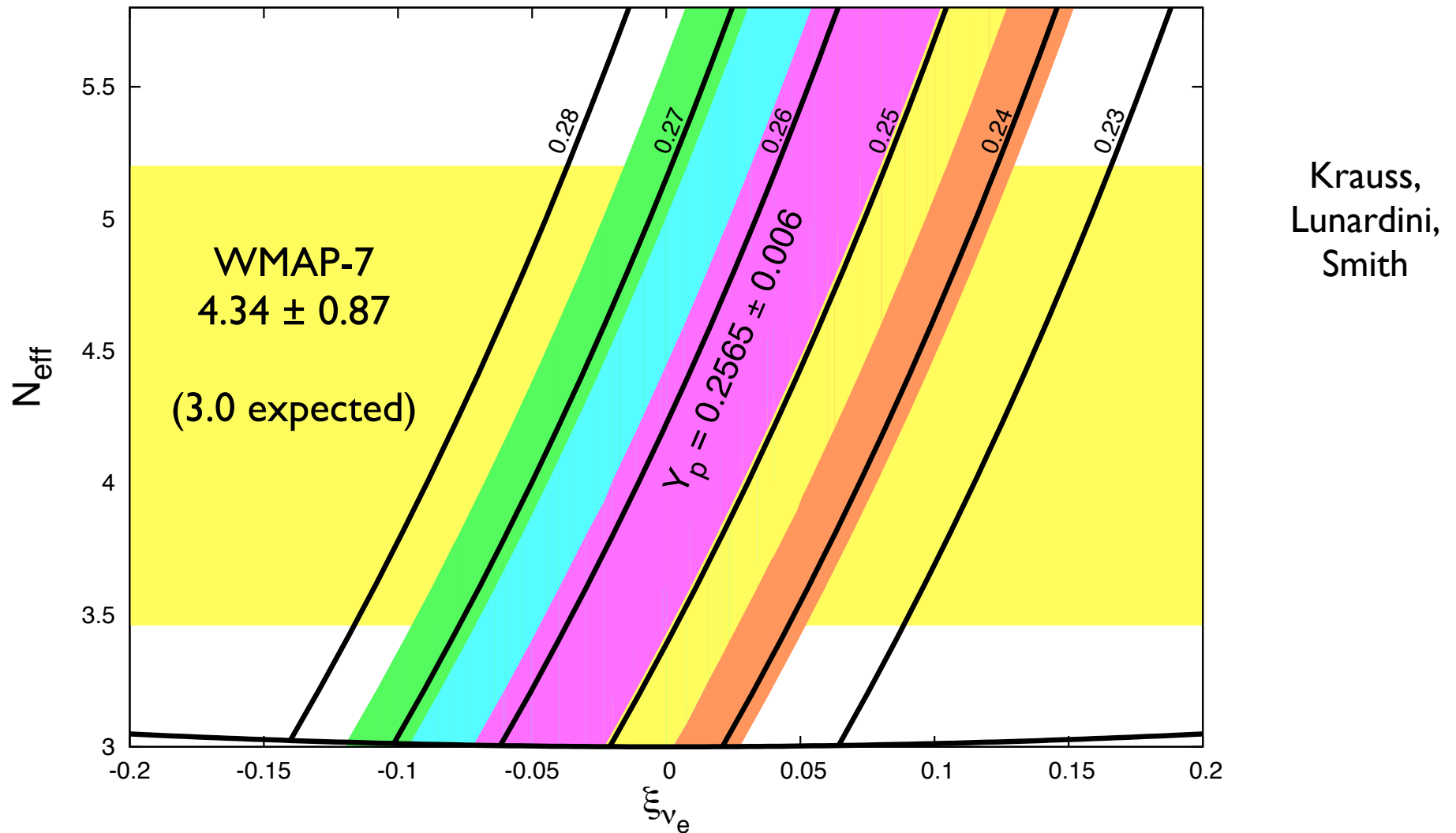
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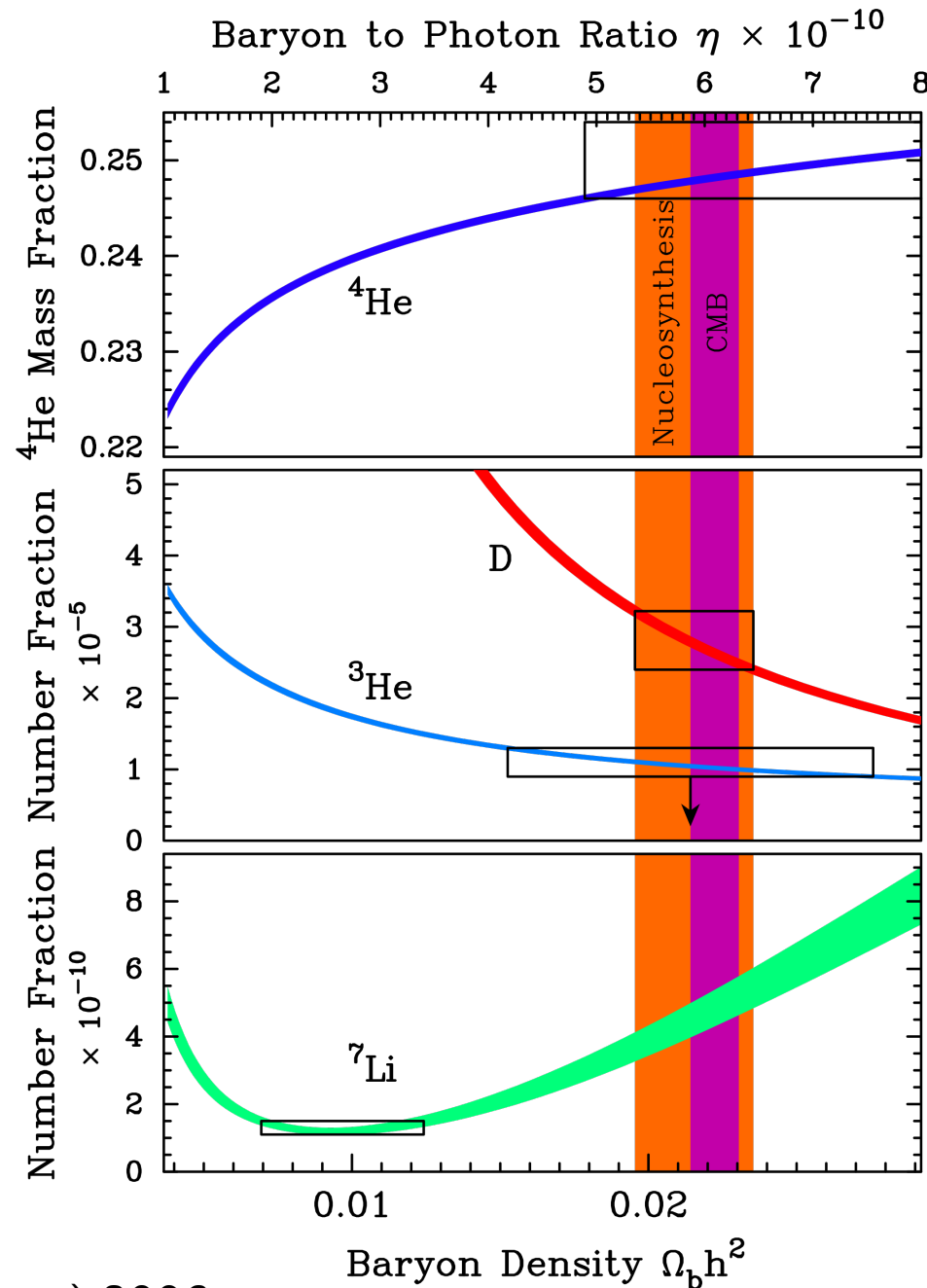
BBN production of H/He used to be our way of measuring net SM mass.
but WMAP determined $\eta = n_B/n_\gamma$ fixing the one free BBN parameter \Rightarrow

now largely a test of the ν physics of the early universe

Competing clocks of expansion driven by the relativistic species and weak interactions driving n densities downward



BBN and CMB studies constrain the ν number and asymmetry
weak hints that all is not right (but best to wait for Planck...)



also, a puzzle
with ^7Li , which
has a well-defined
primordial abundance
plateau, but not
one consistent
with BBN and
known
uncertainties

Absolute ν mass scale: the one “known” component of DM is the ν

To “measure” ν mass cosmologically at $\sqrt{\Delta m_{\nu}^2 \text{ atmos}}$, need a sensitivity to hot dark matter at $\sim .001 \rho_{crit}$: current sensitivity $\sim .013 \rho_{crit}$

ν s with a smaller mass remain relativistic longer, travel further, and suppress growth of structure on larger scales

Thus ν influences on structure evolve with both redshift Z and spatial scale in a characteristic way:

$$k_{\text{free streaming}} \sim 0.004 \sqrt{m_{\nu}/0.05 \text{ eV}} \text{ Mpc}^{-1}$$

$$\sum m_{\nu} \sim 0.05 \text{ eV}, z = \begin{pmatrix} 3.5 \\ 3.5 \\ 1.5 \\ 0.0 \end{pmatrix} \Rightarrow \text{power decrease} \sim \begin{pmatrix} 1.9\% \\ 1.0\% \\ 2.1\% \\ 3.5\% \end{pmatrix} \text{ for } k > \begin{pmatrix} 0.6 \\ 0.03 \\ 0.6 \\ 0.6 \end{pmatrix} \frac{1}{\text{Mpc}}$$

ν s alter the evolution of the the baryons + CDM at the few % level, though they comprise only 0.1% of today’s energy density

the precision of LSS surveys scales $\propto 1/\sqrt{N}$, so a factor of 100 needed

effects that are scale-dependent at fixed Z , and evolve in a characteristic way with Z , can be differentiated from other parameter changes

there are a variety of both high- Z and low- Z surveys in preparation that envision such enlarged data sets

- various analyses of combined projected data sets (high-redshift galaxy surveys, SDSS-III BOSS 10^5 QSO survey, Planck CMB data, 21cm radio telescopes with 0.1 km^2 collection, weak lensing ...) sensitive to $m_\nu \sim 50 \text{ meV}$ at $1 - 7\sigma$

combine data sets to span the greatest possible range of Z and scale

could get lucky and determine the hierarchy ($< 100 \text{ meV}$)

systematics could dominate: will the various data sets that sampling Z and scale yield a consistent picture when combined?

Mass differences, oscillations: Vacuum oscillations for an extended source

$$1 - \frac{1}{2} \sin^2 2\theta_{12}$$

But ν s acquire an effective mass in matter, with distinctive effects arising when: **the effective mass \sim the vacuum mass difference**

$$\rho_{\text{res}} \sim 1.3 \times 10^6 \left(\frac{\Delta m^2}{\text{eV}^2} \right) \left(\frac{5 \text{ MeV}}{E_\nu} \right) \left(\frac{0.5}{Y_e} \right) \cos 2\theta \text{ g/cm}^3$$

The great good fortune in solar ν s comes from Nature's choice

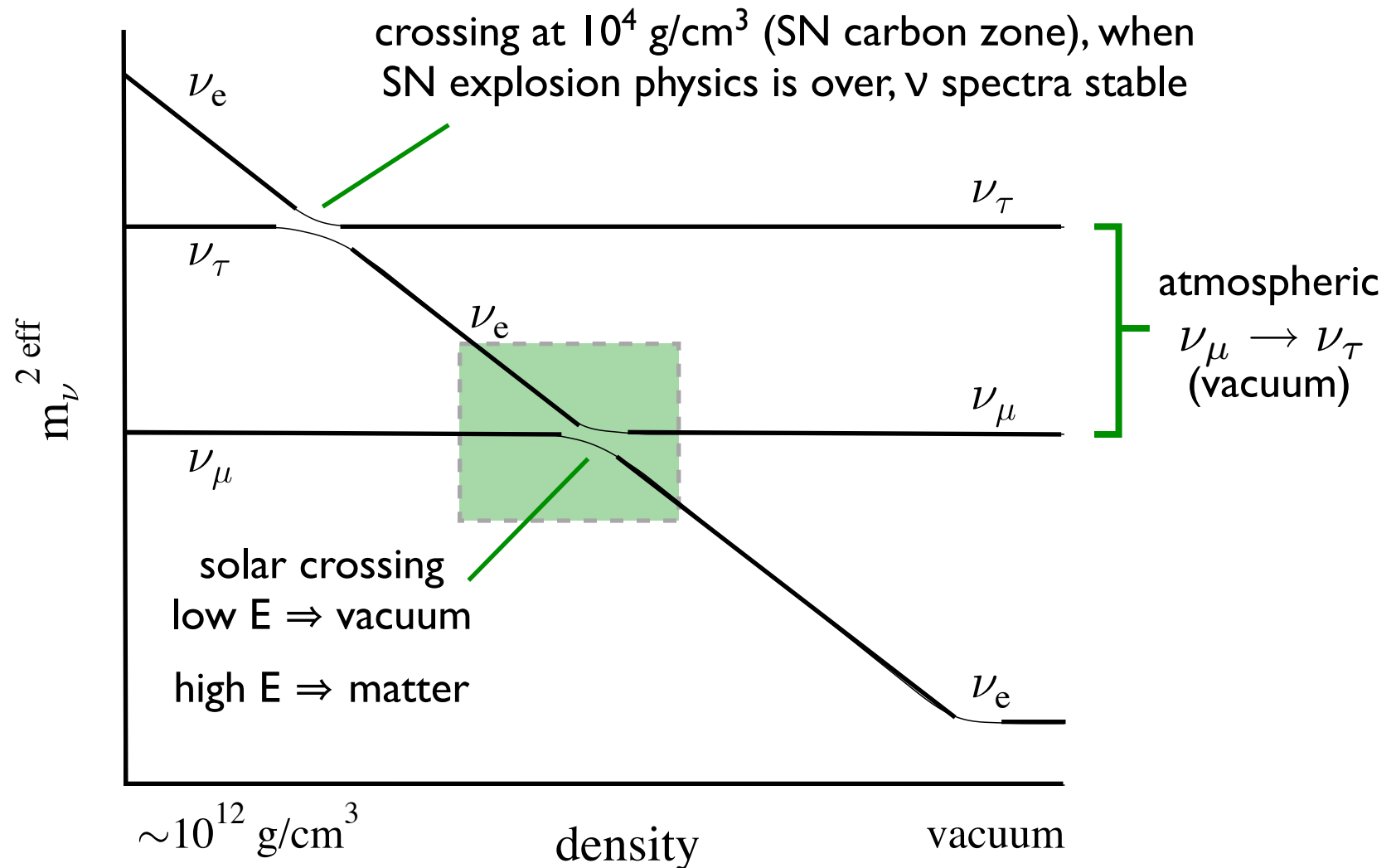
$$\delta m_{12}^2 \sim 8 \times 10^{-5} \text{ eV}^2$$

so that $\rho_{\text{res}}(E_\nu \sim 10 \text{ MeV}) \sim 25 \text{ g/cm}^3 < \rho_{\text{core}}$
 $\rho_{\text{res}}(E_\nu \sim 1 \text{ MeV}) \sim 250 \text{ g/cm}^3 > \rho_{\text{core}}$

By observing the matter effects on ν_e , one extracts the sign of Δm_{12}

But Δ_{13} ?

matter effects will alter the fluxes from the next galactic supernova



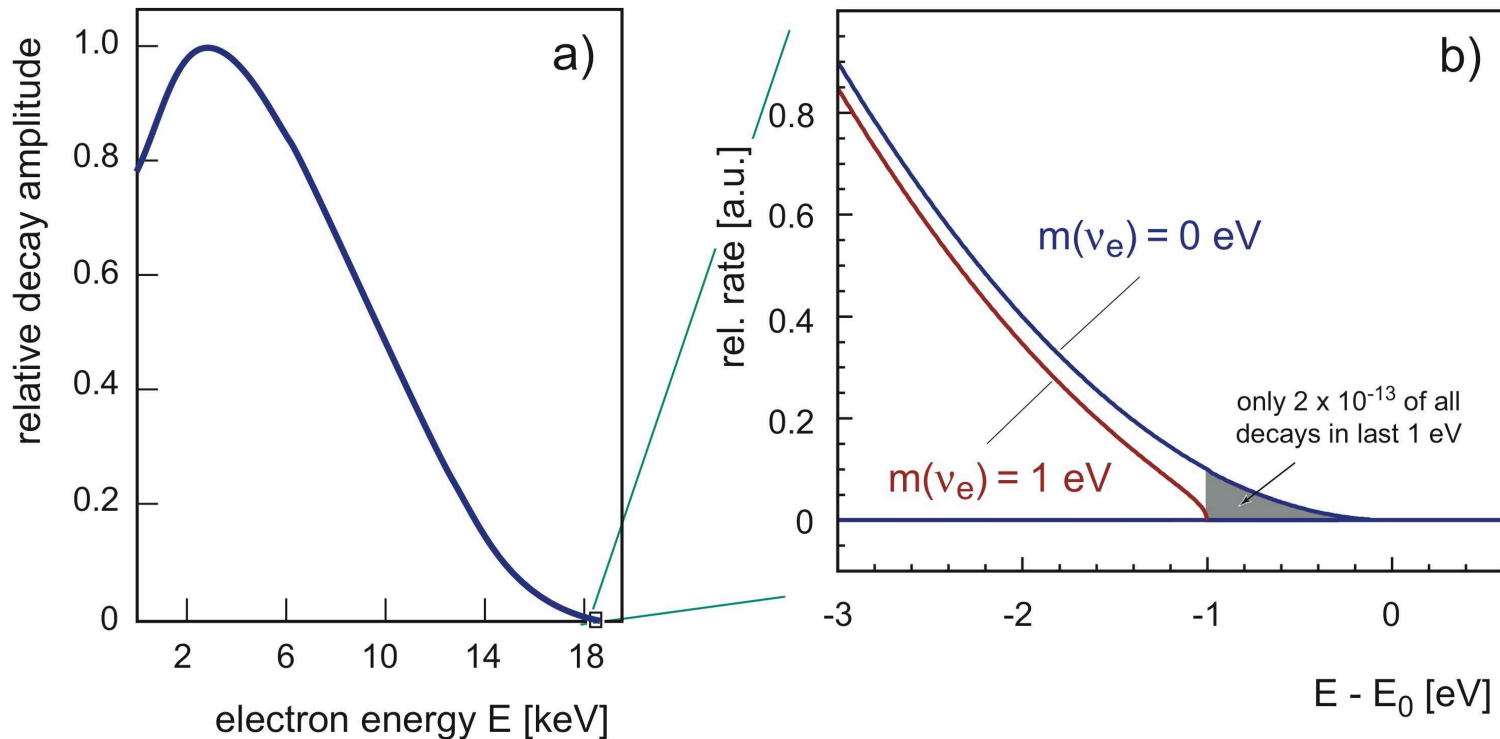
If the T2K results hold up, the MSW mechanism will alter SN physics:
the transition is adiabatic unless θ_{13} is very small, $< 10^{-4}$

III. Lab experiments: we need to get on with it

If there are no surprises, progress is still needed in four areas

- 1) absolute mass scale
- 2) lepton number and the mass mechanism
- 3) the hierarchy and related issues of 1-3 matter effects
- 4) CP violation

Absolute ν mass: the one identified component of DM



tritium β decay is running into intrinsic limits due to feasible source intensities and detector resolution

$$\langle m_\nu \rangle_{\text{tritium}} = \sum_i |U_{ei}|^2 m_\nu^2(i)$$

present limit $\langle m_\nu \rangle_{\text{tritium}} < 2.2 \text{ eV}$

Mainz & Troitzk

KATRIN's goal is to reach 250 meV, with 5σ exclusion at 350 meV



the measurement is clean, and one could get lucky ... but cosmology may provide our best hope of reaching the 50 meV level

lepton number and the mass mechanism: neutrinoless $\beta\beta$ decay

$$\langle m_\nu^{\text{Maj}} \rangle = \sum_{i=1}^{2n} \lambda_i U_{ei}^2 m_i \quad \text{or} \quad \left\langle \frac{1}{m_\nu^{\text{heavy}}} \right\rangle = U_{ei}^2 \frac{1}{m_i^{\text{heavy}}}$$

analogous to the search for the Higgs

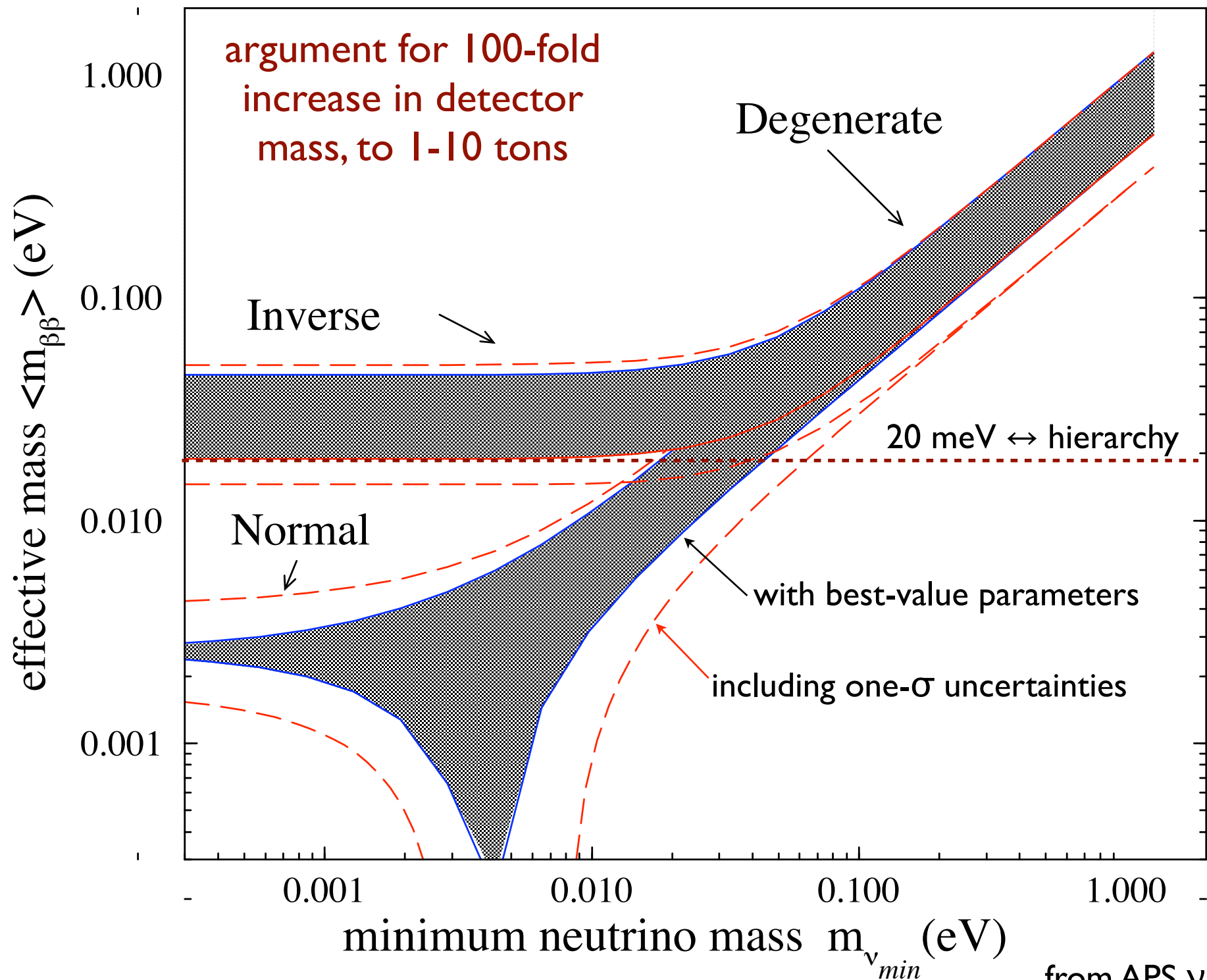
- a mass mechanism connected to the simplest effective SM operator
- indirect sensitivity to near-GUT-scale physics
- direct sensitivity to heavy- ν super-TeV physics

GERDA (^{76}Ge), CUORE (^{128}Te) currently limit

$$\langle m_\nu^{\text{Maj}} \rangle < (0.3 - 1.0) \text{ eV} \quad \left\langle \frac{1}{m_\nu^{\text{heavy}}} \right\rangle < \frac{1}{10^4 \text{ TeV}}$$

puzzles me why this problem is not being attacked with more urgency and at a more elevated scale:

the physics is unique, the potential implications profound, the discovery potential quite high



The hierarchy:

This may be the (known) ν -physics issue of most significance to astro

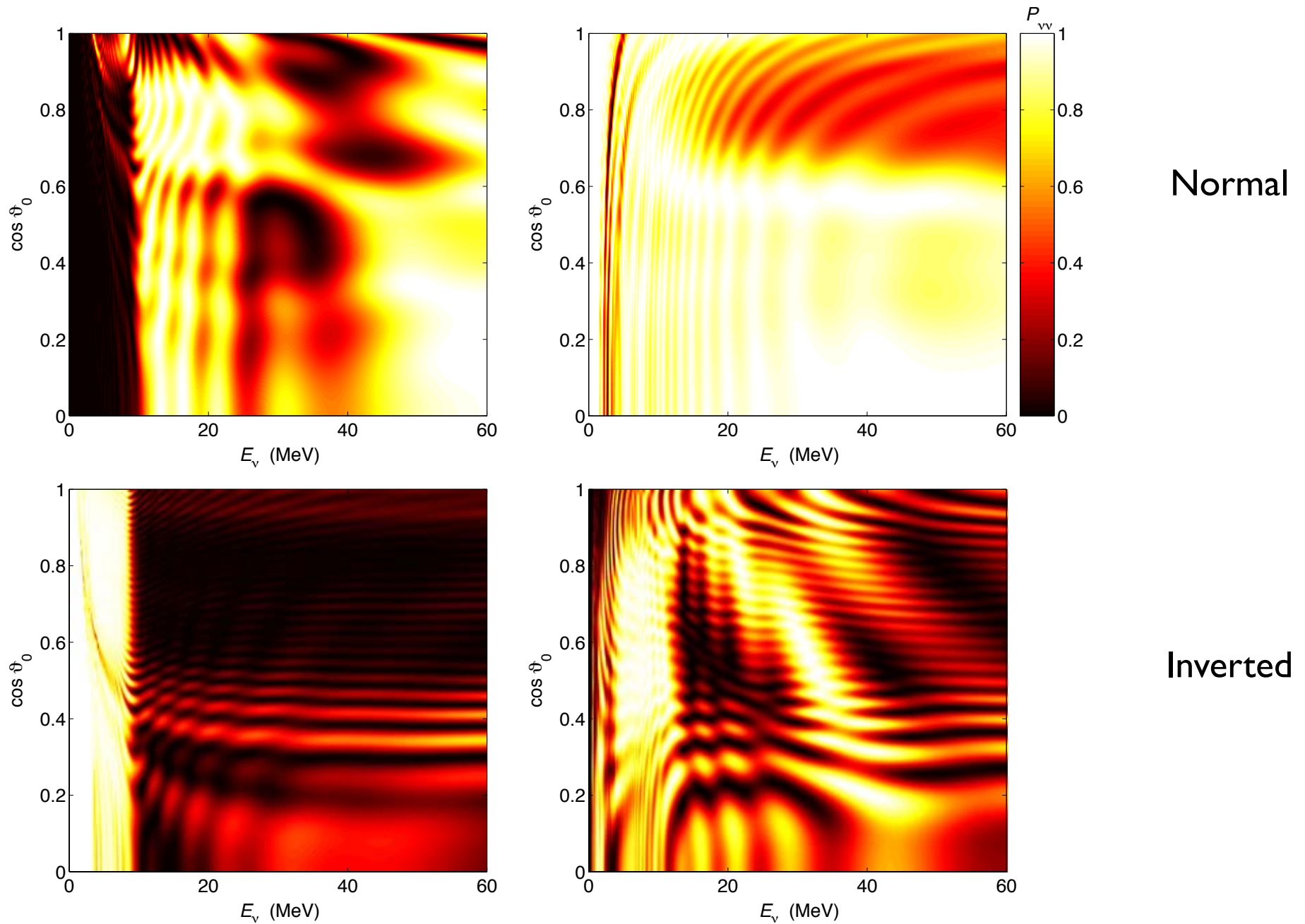
- it affects the **interpretation of the mass sum** that will emerge from the next decade of cosmological LLS measurements
- it **alters the flavors of supernova ν s**, where in the absence of oscillations

$$T_{\text{heavy flavor}} > T_{\bar{\nu}_e} > T_{\nu_e}$$

consequently affecting energy deposition, **nucleosynthesis**, and the interpretation of signals seen in terrestrial detectors

- it qualitatively alters a new ν phenomenon we can only study in supernovae, a **nonlinear MSW mechanism** arising from ν - ν_{trapped} interactions that is hypersensitive to hierarchy

From Duan et al.



$r \sim 225$ km! deep in the supernova core

LBNE: hierarchy and CP violation

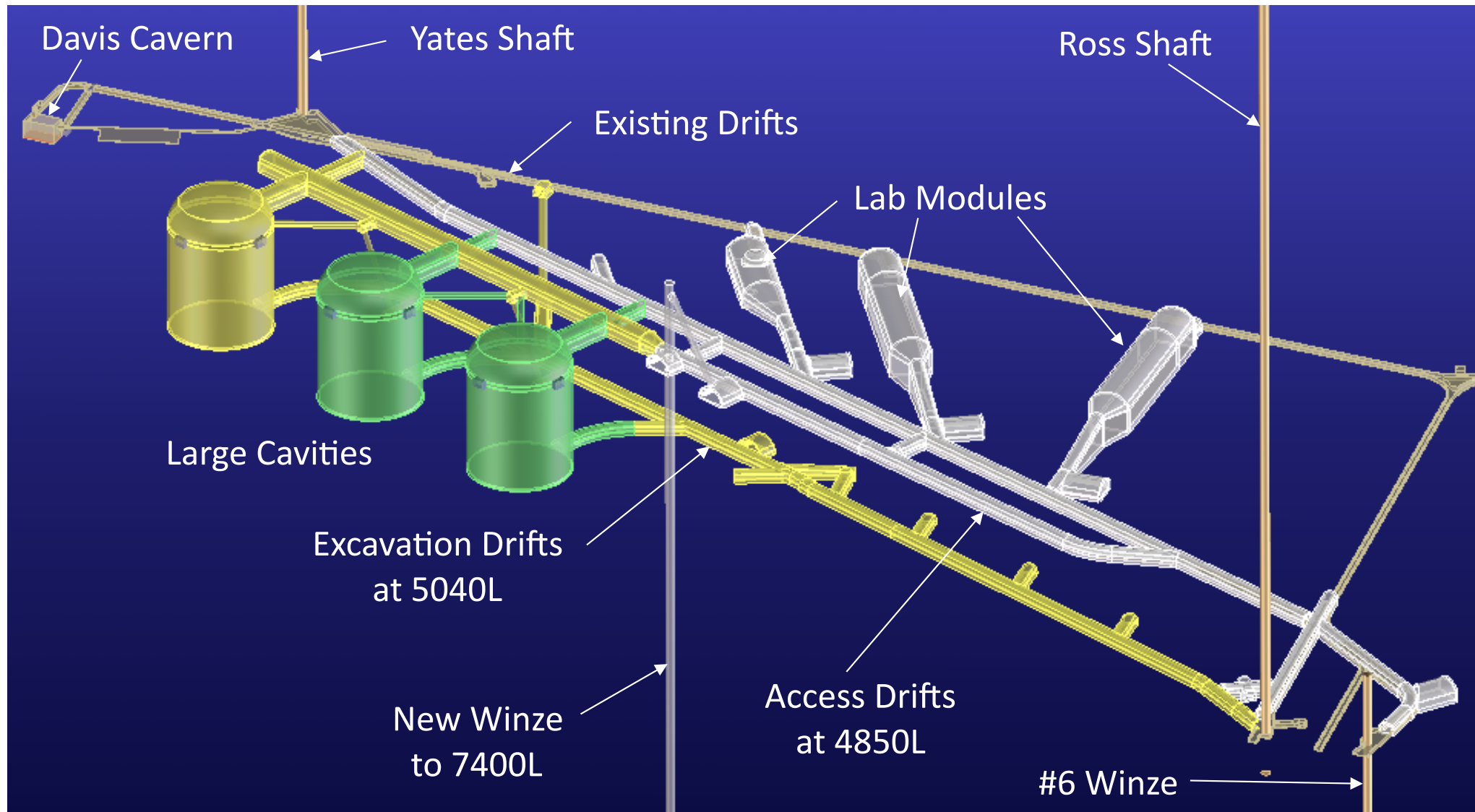


700 kW beam, on axis, water/argon megadetector, beamline to “DUSEL”

1300 km of matter: sign of matter effects \Leftrightarrow normal/inverted;

5 years of ν_μ S, $\bar{\nu}_\mu$ S running $\nu_\mu \rightarrow \nu_e$ VS $\bar{\nu}_\mu \rightarrow \bar{\nu}_e$ for ~~CP~~

sounds like a good plan...



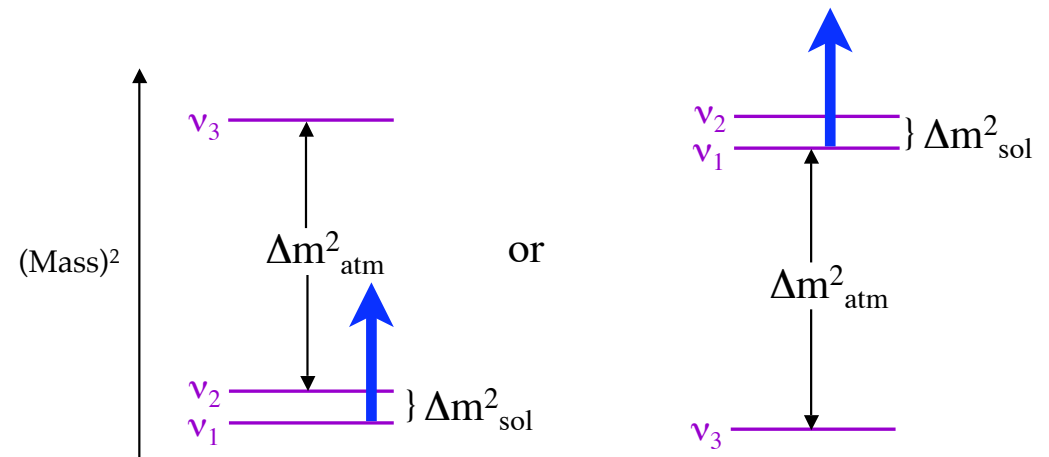
Vacuum formula

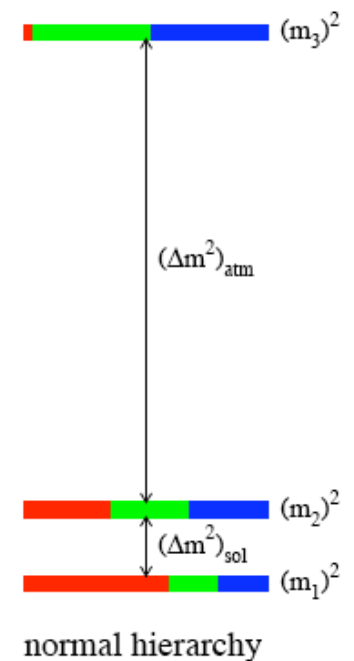
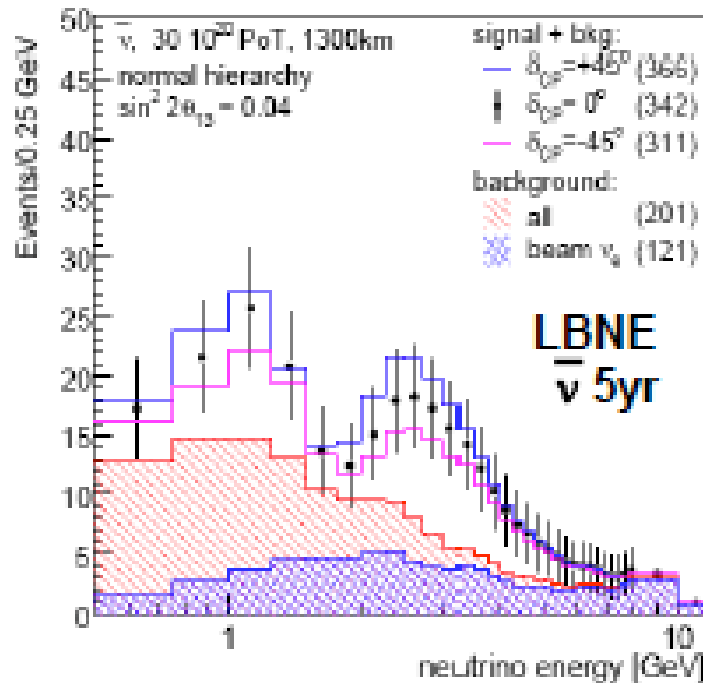
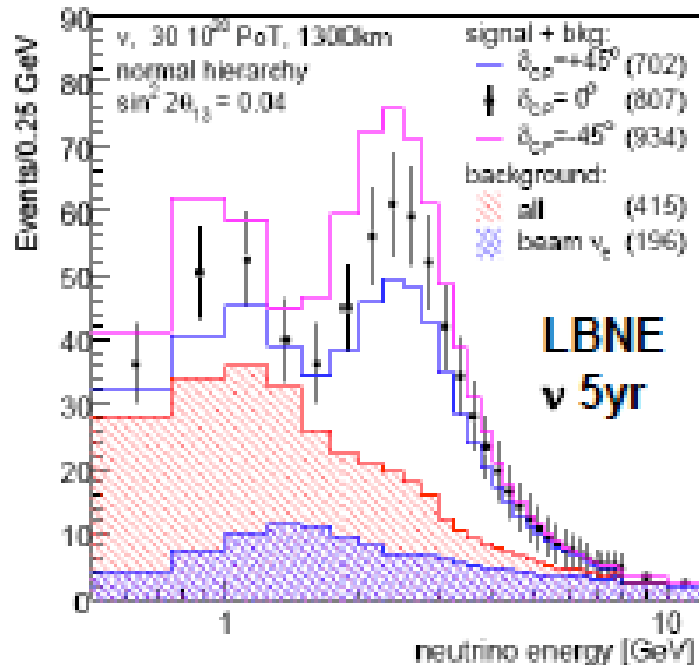
$$P \begin{pmatrix} \nu_\mu \rightarrow \nu_e \\ \bar{\nu}_\mu \rightarrow \bar{\nu}_e \end{pmatrix} = \frac{(\sin^2 2\theta_{23} \sin^2 2\theta_{13})(\sin^2 \Delta_{31})}{\pm \sin \delta (\sin 2\theta_{13} \sin 2\theta_{23} \sin 2\theta_{12})(\sin^2 \Delta_{31} \sin \Delta_{21})} + \cos \delta (\sin 2\theta_{13} \sin 2\theta_{23} \sin 2\theta_{12})(\sin \Delta_{31} \cos \Delta_{31} \sin \Delta_{21}) + (\cos^2 \theta_{23} \sin^2 2\theta_{12})(\sin^2 \Delta_{21})$$

nonzero?

altered by matter

Effects intertwined, as
two channels are not CP
conjugate when in matter



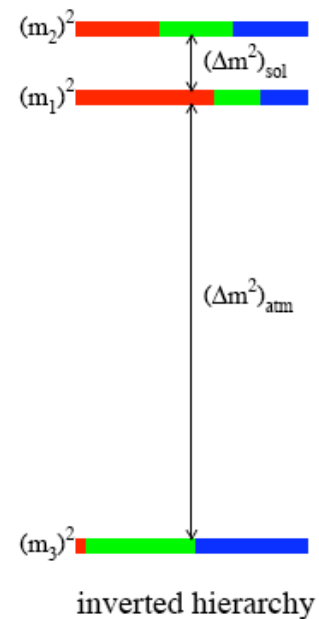
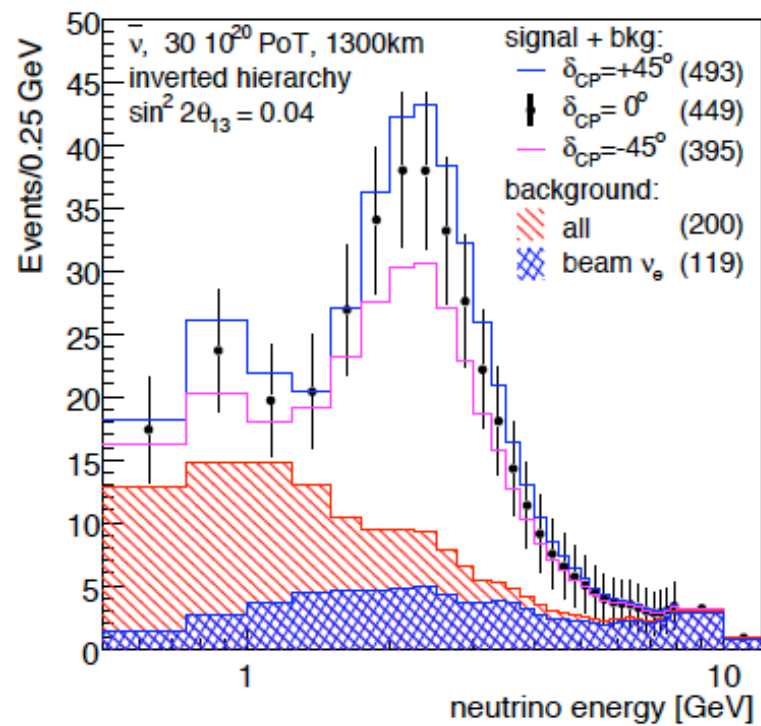
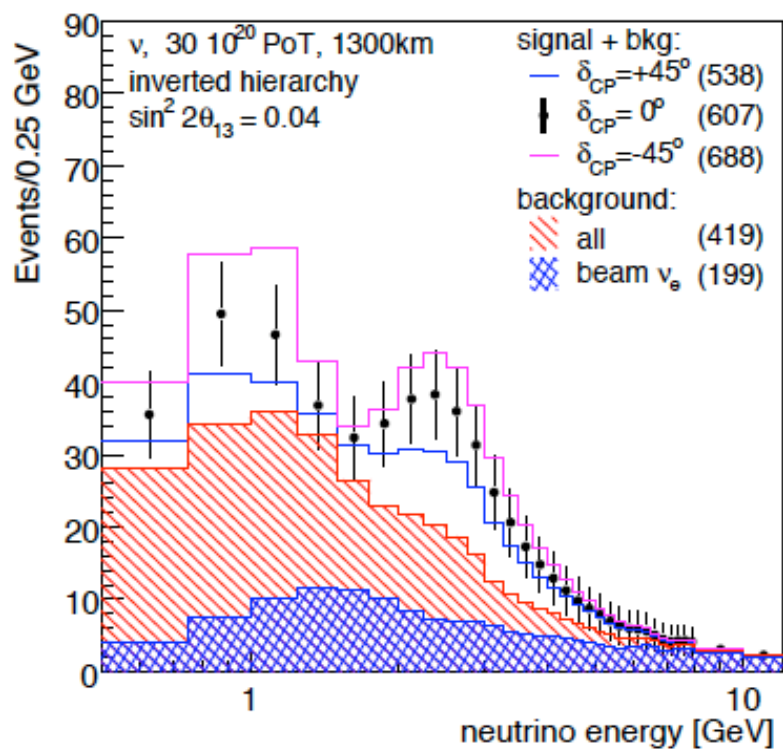


challenging:

broad band beam; baseline requires a spectrum centered at about 2 GeV

low statistics, some beam contamination, backgrounds from π^0 production

must be able to identify events (quasielastic kinematics) for which one can reconstruct the initial beam energy



So my conclusions

We have two “must do” decadal experimental programs -- $\beta\beta$ decay and LBNE -- addressing some of the most important questions in physics

Concerned that we won’t “get after it” the way we should

Especially important to do the LBNE program as well as possible

- as a nuclear physicist, complexity of the nuclear response at 2 GeV worries me: so many ways unobserved energy can be dissipated
- this argues for the most capable detector technology and the best near detector, and careful thought about ancillary tests one can make of event generators
- programs like Daedalus, with lower energy ν s, deserve consideration

Not a time to cut corners